

N<sup>o</sup> 7018



A.D. 1907

Date of Application, 23rd Mar., 1907

Complete Specification Left, 9th Aug., 1907—Accepted, 23rd Mar., 1908

PROVISIONAL SPECIFICATION.

A New or Improved Calculator.

I, ERNST LEDER, of 47/48 Berliner Strasse, Rixdorf near Berlin, Empire of Germany, Merchant, do hereby declare the nature of this invention to be as follows:—

My invention consists of a new or improved calculator or arithmetical machine which is capable of performing arithmetical operations, such as additions, subtractions, multiplications, divisions or other calculations. The operation of this machine is most simple. It comprises a key board for one figure or quantity, a slide key board for another figure or quantity, a plurality of slides movable between the key board and the slide key board and each provided with a pair of rollers having various series of teeth on their peripheries, a carriage movable over the slides and containing registering mechanism adapted to be operated by the teeth of the rollers, a mechanism controlled from the key board for adjusting the several slides, and a hand-crank with a driving mechanism for adjusting the dials in the registering mechanism. For performing an arithmetical operation, for example a multiplication, first the respective keys of the key board are depressed in accordance with the single figures of the multiplicand, whereby the corresponding slides are shifted and adjusted, then either of the slide keys in accordance with the unit of the multiplier is pushed to the rear to shift and adjust the carriage, next a hand-crank is turned once so as to once turn all the rollers in the slides, whereby the operameter in the carriage is operated, so that the result, that is the product, will be shown in the windows of the carriage. Thereupon the carriage is pulled to the front for returning the said slide key to its initial position, after which either of the slide keys in accordance with the tens of the multiplier is pushed to the rear to shift and adjust the carriage and the hand-crank is turned once more, when the new product will appear in the windows. If the multiplier has hundreds, thousands and so on, of course the carriage will have to be pulled repeatedly to the front for returning the shifted slide keys to their initial positions, after which the respective slide keys corresponding to the figures in the hundreds, thousands and so on of the multiplier are one after the other pushed to the rear and the hand-crank is once turned each time, when at last the final product will appear in the windows of the carriage.

I will now proceed to describe my invention with reference to the drawings accompanying this my Provisional Specification.

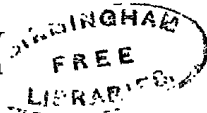
Fig. 1 is a plan of the complete calculator which is for example arranged for multiplications,

Fig. 2 is a front view of the same,

Fig. 3 is a vertical cross section through the same on the line  $x-x$  in Fig. 1 seen from the front in the direction of the arrows,

Fig. 4 is a part of Fig. 1, the top being turned to the left side and the key board on the left being shown partly in plan and partly in a horizontal section

[Price 8d.]



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through the line  $z-z$  in Fig. 5, and the slide key board on the right being omitted,

Fig. 5 is a vertical section through the line  $y-y$  in Fig. 4,

Fig. 6 is a rear view on an enlarged scale of part of the calculator, seen in the direction of the arrow in Fig. 5, 5

Fig. 7 is a side view of the same part seen from left to right in Fig. 6,

Fig. 8 is an elevation on an enlarged scale of the operameter contained in the carriage and shows in section the several rollers co-operating with the gear wheels in the operameter,

Fig. 9 is a plan of the operameter, 10

Fig. 10 is a front view on an enlarged scale of the hand-crank and the driving mechanism for operating the rollers,

Fig. 11 is a plan of the same,

Fig. 12 is the development of one roller in either pair, and

Fig. 13 is the development of the other roller in the same pair. 15

The calculator shown comprises a box  $a$  (see Fig. 5), on which two side rails  $l, l$  (see Fig. 3) and several (here seven) parallel rails  $g, g$  of hexagonal section are fastened. Several (here six) parallel slides  $f, f$  are mounted to move on the top of the box  $a$  while they are guided by the rails  $g, g$ . The slides  $f, f$  are shown as each consisting of two end plates  $f^I$  and  $f^{II}$  (see Fig. 5), which are rigidly connected with one another by suitable stays not shown. The box  $a$  is shown as containing a special compartment 2, to the rear wall of which the several slides  $f, f$  are elastically attached by means of helical springs  $l, l$ , so that they are constantly pressed to the front. The rear end plate  $f^{II}$  of each slide  $f$  (see Fig. 6) is provided with two holes for the rear pivots of two rollers  $m$  and  $m^I$ . The latter are hollow and are made to slide on two shafts  $t, t$  which are mounted to turn in the rear wall of the box 2. The rollers  $m$  and  $m^I$  are prevented from turning on the shafts  $t, t$  by means of screws  $u$  engaging in longitudinal grooves of the latter. In the compartment 2 two parallel drums  $K$  and  $F$  (Figs. 10 and 11) are mounted to turn, which are connected with each other by means of an endless band  $H$  placed over them and provided with three parallel rows of square holes, in which corresponding teeth  $G, G$  on the two drums  $K$  and  $F$  engage. The endless band  $H$  is divided by two parallel long slots into three sections, which are connected with one another by two short pieces provided with several square holes  $O$  and  $O^I$  respectively, these holes being on two different places of the band. The front ends of the above mentioned shafts  $t, t$  are provided with gear wheels  $T$  and  $T^I$  which can periodically and one after the other engage in the two series of holes  $O$  and  $O^I$  respectively. Guiding rollers 3, 3 are provided for supporting the upper branch of the endless band  $H$  and thus assuring the proper meshing of the gear wheels  $T$  and  $T^I$  with the endless band  $H$ . Fastened on the front end of the shaft of the right drum  $F$  is a gear wheel  $E$ , which meshes with a larger gear wheel  $D$ . The latter is by its shaft rigidly connected with a smaller gear wheel  $C$ , that engages a larger gear wheel  $B$  fastened on the shaft of a hand-crank  $A$ . The ratio of the gear wheels  $B, C, D$  and  $E$  is so proportioned, that for every complete revolution of the hand-crank  $A$  the endless band  $H$  will make one complete turn round the two drums  $K$  and  $F$ , so that after each revolution of the hand-crank  $A$  a certain point on the band  $H$  will return to its initial position. The rollers  $m$  and  $m^I$  in the several slides  $f, f$  have on their peripheries a plurality of teeth, which are disposed in varying orders in parallel planes, as is illustrated in Figs. 12 and 13, which show the developments of the two rollers. These teeth will be referred to later on. 30 35 40 45 50

On the rear end of the box  $a$  (Fig. 5) is disposed the key board (see Fig. 1), which comprises two superposed horizontal plates  $b^I$  and  $b^{II}$  and a plurality of keys  $d^I$ . The two plates  $b^I$  and  $b^{II}$  are supported by four studs  $a^{II}$  on the box  $a$  and serve for guiding the vertical square shafts  $d$  of the keys  $d^I$ , which are arranged in the vertical planes of the several rollers  $m$  and  $m^I$ . The keys  $d^I$  55

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in the vertical plane of each roller  $m$  carry the even numbers 2, 4, 6 and 8 and those in the vertical plane of each roller  $m^1$  the odd numbers 1, 3, 5, 7 and 9. The keys  $d^1$  are pressed upwards by helical springs shown in Fig. 7. as usual. The lower ends of their shafts  $d$  carry cranked arms  $c$  of varying lengths, which  
5 are provided with downwardly projecting hooks  $c^1$ , as is clearly shown in Figs. 6 and 7. Between the two plates  $b^1$  and  $b^{11}$  the shafts  $d$  are each provided with an arm  $d^{11}$  which is adapted to depress a rocking plate  $h$ . The latter is placed parallel to the slide  $f$  and has at its ends two pivots  $h^1$ , which engage in suitable bearings on the lower plate  $b^{11}$ . Each rocking plate  $h$  is pressed  
10 upwards against the arms  $d^{11}$  of the two parallel rows of key shafts  $d$  by means of two helical springs  $h^{11}$ , so that normally it is placed at an angle of about  $45^\circ$  to the horizontal plate  $b^{11}$ , as is shown on the left in Fig. 6. Each rocking plate has on its rear end a downwardly projecting arm  $i$  with a hook  $i^1$ . Each slide  $f$  has on its rear end plate  $f^{11}$  a projection  $f^{111}$  of any suitable shape, on  
15 which a horizontal cross rod  $e$  is fastened. A carriage S passing over the several slides  $f$  is guided in the two side rails 1, 1, as is shown in Fig. 3 and is adapted on being pushed to the rear to strike the projections  $f^{111}$  of the several slides  $f$  and to take along with it the latter. Then the cross rods  $e$  of the slides  $f$  will snap over the hooks  $i^1$  of the arms  $i$  respectively, so that the  
20 slides  $f$  will be thereby locked and prevented from shifting on the carriage being moved to the front. When either key  $d^1$  is depressed, see Fig. 6, the arm  $d^{11}$  of its shaft  $d$  will depress the rocking plate  $h$ , so that the arm  $i$  of the latter will be turned upwards and its hook  $i^1$  will release the slide  $f$ , whereupon the helical spring  $l$  will pull the slide  $f$  to the front. Now, however, that  
25 the hook  $c^1$  on the arm  $c$  of this key  $d^1$  engages in the path of the cross rod  $e$ , of course this hook  $c^1$  will catch the cross rod  $e$  and prevent the slide  $f$  from moving further (see Fig. 5). The several arms  $c$  of the keys  $d^1$  are made of different lengths, as already mentioned above, so that their hooks  $c^1$  will severally stop the corresponding slides  $f$  on different points of their paths.  
30 The keys  $d^1$  in the extreme pair of rows on the right in Fig. 1 correspond to the units of the multiplicand. The keys  $d^1$  in the next following pair of rows, when counting from right to left, correspond to the tens of the multiplicand, and those in the third pair of rows to the hundreds, those in the fourth pair of rows to the thousands of the multiplicand, and so on. It is evident, that when  
35 a key  $d^1$  has been depressed and its hook  $c^1$  has caught the cross rod  $e$  of the slide  $f$ , the key  $d^1$  will be prevented from returning to its upper position on being released by one's finger. Only when the carriage S on being pushed to the rear strikes the projection  $f^{111}$  of the slide  $f^1$  and takes along with it the latter, so that the cross rod  $e$  will get out of the hook  $c^1$ , will the key  $d^1$  be  
40 permitted to return to its initial position.

On the front over the compartment 2 is disposed the slide key board, which comprises a horizontal plate  $p$  and nine keys  $n$  with the numbers 1, 2, 3, 4, 5, 6, 7, 8 and 9. The plate  $p$  is provided with nine parallel slots  $p^1$  of different  
45 lengths and with guides beneath these slots for slides  $r$ , which are rigidly connected with the keys  $n$  and are provided with bent ends  $r^1$  (see Fig. 1). The bent ends  $r^1$  are adapted to severally bear against the carriage S, so that by means of their slides  $r$  the keys  $n$  are adapted to severally push the carriage S to the rear through a distance corresponding to the length of the respective slot  $p^1$ .

50 Within the carriage S registering mechanism shown at Figs. 8 and 9 is disposed, which may in any known manner be arranged to be longitudinally shifted through a small distance. The operameter comprises two vertical parallel plates  $S^1$   $S^1$  with four stays  $S^{11}$   $S^{11}$ , a series of gear wheels U and above them a series of parallel and horizontal shafts 4, 4 with gear wheels and dials.  
55 As already mentioned above, the several rollers  $m$  and  $m^1$  have on their peripheries several rows of teeth in parallel planes, as is shown at Figs. 12 and 13. The number of teeth in the several rows varies. About one fourth of

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the periphery of each roller  $m$  or  $m^1$  is left without teeth and these large spaces (see Fig. 8) are normally at the top, so that all the large gear wheels U remain out of engagement with the rollers  $m$  and  $m^1$  below. Only during the rotation of either roller  $m$  or  $m^1$  those of its teeth, which are in the plane of the gear wheel U, can engage in the teeth of the latter for turning it through a certain angle. Owing to the arrangement shown of the holes O and O<sup>1</sup> in the band H the two rollers  $m$  and  $m^1$  in each slide  $f$  are turned one after the other, so that they do not disturb each other in turning the corresponding gear wheel U. Each gear wheel U meshes with a smaller gear wheel V, which has ten teeth and is by its shaft 4 rigidly connected with a dial W without and a disk X within, which latter has a single tooth 5. On the several shafts 4, 4 are disposed like gear wheels V and Z and like disks W. Each dial W carries the numbers 0, 1, 2, 3, 4, 5, 6, 7, 8 and 9, either of which can appear in a window 6 in the carriage S, see Figs. 2 and 3. The tooth 5 of the extreme disk X on the right in Figs. 8 and 9 can engage in an intermediate gear wheel Y only once for every rotation of the shaft 4, so as to thereby turn the following gear wheel Z one tooth forward. As each gear wheel Z has ten teeth, it follows, that after every rotation of either dial W the following dial W on the left will be turned one number forward, as usual. From this arrangement it follows, that after ten revolutions of the first dial W on the right in Fig. 9 the second dial W will be turned one number forward, that after one hundred revolutions of the first dial W the second dial W will have made one complete revolution, while the third dial W will have been turned one number forward, and so on. This transmission of motion from the first dial W on the right to the following dials W is well known and does not form a part of this invention. I also do not show or describe any device for returning all the disks W into their initial positions, in which they show all their zeroes, as this device forms no part of my invention and may be of any known construction.

All the rollers  $m$  and  $m^1$  have the same diameter and length, and the rollers  $m$  in the several pairs are made perfectly alike and different from the other rollers  $m^1$ , which in turn are made perfectly alike. With regard to the arrangement of the teeth on the peripheries of the several rollers, each roller may be assumed to have 87 division circles in parallel planes at like distances from each other according to the scale on the left in Fig. 12. On some of these division circles are placed teeth of varying numbers, while on other division circles no teeth at all are placed, as is shown. The numbers of the teeth in the several division circles are arranged in a certain order and correspond to from 1 to 9 and to the products obtained by the multiplication of any two of the former figures, the products being expressed by units and tens.

On the 1<sup>st</sup> division circle of the roller  $m$  1 tooth is disposed, see Fig. 12, on the 5<sup>th</sup> division circle are disposed 2 teeth, on the 15<sup>th</sup> division circle 3 teeth, on the 44<sup>th</sup> division circle 7 teeth. In this manner the remaining numbers of teeth are disposed.

As an example—the places for the teeth for the number 15 may be ascertained. 15 is like 3 times 5. According to the above explanation the teeth for the number 3 are disposed on the 15<sup>th</sup> division circle of the roller  $m$  and are therefore at a distance of 14 pitches from the 1<sup>st</sup> division circle; and the teeth for the number 5 are disposed on the 18<sup>th</sup> division circle, that is at a distance of 17 pitches from the 1<sup>st</sup> division circle. The teeth for the product of  $3 \times 5 = 15$  are disposed on the division circle at a distance like the sum of the said two distances, that is  $14 + 17 = 31$  pitches from the 1<sup>st</sup> division circle, therefore on the 32<sup>th</sup> division circle. One of the said two distances is to be determined by the arm  $c$  of the respective key  $d^1$  and the other distance by the stroke of the respective slide key  $n$ .

After the above explanations the matter may be expressed in general terms as follows: If the teeth for a number  $x$  be on the  $a^{\text{th}}$  division circles of the

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two rollers  $m$  and  $m^1$ , those for a second number  $y$  be on the  $b^{\text{th}}$  division circles, then the teeth for the product  $x y$  will be on the  $(a-1) + (b-1) + 1 = (a + b - 1)^{\text{th}}$  division circles of the two rollers  $m$  and  $m^1$ . Thus if the teeth for the number 7 are on the 44<sup>th</sup> division circle of the one roller  $m$  as mentioned above and the teeth for 3 on the 15<sup>th</sup> division circle of the roller  $m$ , then the above formula will furnish the place of the teeth for the product  $7 \times 3 = 21$  as the  $44 + 15 - 1 = 58^{\text{th}}$  division circle of the two rollers  $m$  and  $m^1$ , and this is actually the case, as Fig. 12 will prove, 1 tooth being on the roller  $m$  and 2 teeth on the roller  $m^1$ .

The following table calculated from the above formula will show the number of pitches for the distance from the 1<sup>st</sup> division circles of those division circles of the two rollers  $m$  and  $m^1$ , on which the teeth for the product from 2 values, each ranging between 1 and 9, will be found. The crossing point of either vertical column for the multiplicand with either horizontal column for the multiplier will show the number of pitches for the distance from the first division circles of those division circles on which the teeth for the product will be found.

	1	2	3	4	5	6	7	8	9
1	1	5	15	9	18	19	44	13	29
2	5	9	19	13	22	23	48	17	33
3	15	19	29	23	32	33	58	27	43
4	9	13	23	17	26	27	52	21	37
5	18	22	32	26	35	36	61	30	46
6	19	23	33	27	36	37	62	31	47
7	44	48	58	52	61	62	87	56	72
8	13	17	27	21	30	31	56	25	41
9	29	33	43	37	46	47	72	41	57

For ascertaining the division circles, on which the teeth for the number 63 are disposed, this number may be regarded as the product of  $7 \times 9$ , therefore the crossing point of either the 7<sup>th</sup> vertical column with the 9<sup>th</sup> horizontal line or the 9<sup>th</sup> vertical column with the 7<sup>th</sup> horizontal line will give 72 as the numeral of the division circles on which the teeth for 63 are disposed, that is to say 3 teeth on the unit roller  $m$  and 6 teeth on the tens roller  $m^1$ , which is actually the case, see Figs. 12 and 13.

From the above formula and table the following distances of the respective division circles from the first division circles are determined:

	1 pitch	for the number	1
	5 pitches	" "	2
	15	" "	3
	9	" "	4
	18	" "	5
	19	" "	6
	44	" "	7
	13	" "	8
	29	" "	9

In accordance with these distances the lengths of the arms  $c$  of the keys  $d^1$

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and those of the slots  $p^1$  for the slide keys  $n$  are proportioned. That is to say the slide  $f$  is to be stopped on such a point of its stroke by depressing the key  $d^1$ , that when the carriage S occupies the right position, its respective gear wheels U and V will be in the same vertical plane as the corresponding division circles on the two rollers  $m$  and  $m^1$ ; and further if the carriage S is pushed to the rear by either slide key  $n$ , it will occupy such a position in which its gear wheels U and V will be in the same vertical plane as the corresponding division circles on the two rollers  $m$  and  $m^1$ , their distance from the first division circles being like the sum of the two distances to be found in the above table.

When the scale for the teeth in Figs. 12 and 13 is examined with a pair of compasses, it will be found, that the sum of the distances for any two numbers from the first division line will give the distance for the product. For example take the vertical distance between the horizontal division lines for 1 and 4 with the compasses and put one point of same in 2, then the other point will fit in the division point for 8 ( $4 \times 2 = 8$ ), or put one point of the compasses in 9, when the other point will fit in the division point for 36 ( $4 \times 9 = 36$ ) and so on.

From the above it will be seen, that each slide  $f$  can be brought into nine different positions by depressing the corresponding keys  $d^1$  which carry the numbers 1, 2, 3, 4, 5, 6, 7, 8 and 9. When depressing the key with the number 1 in the first pair of rows on the right in Fig. 1, also the key with the number 2 in the second pair of rows (when counting from right to left), the key with the number 3 in the third pair of rows, the key with the number 4 in the fourth pair of rows, and the key with the number 5 in the fifth pair of rows, of course the first five slides  $f$  will be pulled to the front through varying distances according to the scale shown in Fig. 12. After the above explanations it will be obvious, that when the carriage S is pushed to the rear by means of the slide key  $n$  carrying the number 1, there will be in the vertical plane of its gear wheels U and V 1 tooth on the roller  $m$  in the first slide  $f$ , 2 teeth on the roller  $m$  in the second slide  $f$ , 3 teeth on the roller  $m$  in the third slide  $f$ , 4 teeth on the roller  $m$  in the fourth slide  $f$ , and 5 teeth on the roller  $m$  in the fifth slide  $f$ . If further the carriage S is pulled to the front for returning the slide key  $n$  with the number 1 to its initial position and afterwards it is pushed to the rear by means of the slide key  $n$  carrying the number 2, of course there will be in the vertical plane of its gear wheels U and V 2 teeth on the roller  $m$  in the first slide  $f$  corresponding to the product of  $1 \times 2 = 2$ , 4 teeth on the roller  $m$  in the second slide  $f$  corresponding to the product of  $2 \times 2 = 4$ , 6 teeth on the roller  $m$  in the third slide  $f$  corresponding to the product of  $3 \times 2 = 6$ , 8 teeth on the roller  $m$  in the fourth slide  $f$  corresponding to the product of  $4 \times 2 = 8$ , and the teeth for the product of  $5 \times 2 = 10$ , that is to say 1 tooth on the roller  $m^1$  in the fifth slide  $f$ . It will be now clear, that after the hand-crank A has been once turned, thereby the several rollers  $m$  and  $m^1$  carrying teeth in the plane of the gear wheels U and V will have turned the gear wheels V as many teeth forward as there are teeth on them, so that the first dial W will show the number 2 in its window, the second dial W the number 4, the third dial W the number 6, the fourth dial W the number 8, the fifth dial W the number 0 and the sixth dial W the number 1. Then the whole number shown in the several windows will be 108642, which is the product of  $54321 \times 2$ .

For multiplying say 4321 by a multiplicator larger than a unit, say 72, it is to be remembered, that according to the well known formula  $(a + b) c = a c + b c$  the product of  $4321 \times 72$  will be equal to  $4321 \times 70 = 302470$

$$4321 \times 2 = 8642$$

$$\hline 311112$$

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From this it will be seen, that these two sums require to be added up for obtaining the total product. For this reason after the first multiplication the registering mechanism requires to be shifted to the right through one tooth pitch of the gear wheels U, so as to prevent the teeth on the rollers  $m$  and  $m^1$  from engaging in the wrong teeth of the gear wheels U, when the second multiplication is effected. Therefore the registering-mechanism is provided with a device, by means of which it is automatically shifted during the rest of the hand crank revolution in the direction in which this crank is turned and for a distance that is equal to the interval of the axles of two neighbouring gear wheels U and V respectively. I do not show or describe this device, as it is immaterial to my invention and may be of any known construction.

The calculator is operated as follows:

If for example 365 is to be multiplied by 175, than push the carriage S to the rear so as to bring all the slides  $f$  into their extreme rear positions and return the carriage S to the front, so that it bears against the plate  $p$ ; next depress in the direction from right to left in Fig. 1 the keys carrying the numbers 5 in the first pair of rows for units, 6 in the second pair of rows for tens and 3 in the third pair of rows for hundreds, when the first three slides  $f$  will be pulled to the front and stopped at varying points of their paths, afterwards push the slide key  $n$  carrying the number 5 to the rear and thereby also the carriage S; thereupon turn the hand-crank A once, so that all the rollers  $m$  and  $m^1$  will all make a complete rotation one after the other, but only the teeth on the first three pairs of rollers  $m$  and  $m^1$ , which are in the vertical plane of the gear wheels U and V will engage the same for turning their dials W W through certain angles. At this moment in the first four windows 6, 6 of the carriage S the number 1825 will appear as the product of  $365 \times 5$ . Then the carriage S is pulled to the front for returning the slide key  $n$  with the number 5 to its initial position and afterwards it is again pushed to the rear by means of the slide key  $n$  carrying the number 7, next the hand-crank A is once turned, when first the operameter will be automatically shifted in the longitudinal direction by one figure to the right and back to the left as explained above, so that in the several windows there will appear the number 27375 as the sum of the two products  $(365 \times 70) + 1825 = 25550 + 1825$ . Thereupon the carriage S is pulled to the front for returning the slide key  $n$  with the number 7, and next it is again pushed to the rear by means of the slide key  $n$  carrying the number 1, and at last the hand-crank A is once turned, when in the windows of the carriage S there will appear the number 63875 as the sum of the products  $(365 \times 100) + 27375 = 36500 + 27375$ .

The calculator can be arranged for performing other arithmetical operations, in which case it is only necessary to arrange the teeth on the rollers  $m$  and  $m^1$  accordingly.

Dated this 23rd day of March 1907.

BROWNE & Co.,  
Agents for the Applicant,  
9, Warwick Court, Gray's Inn, London, W.C.

## COMPLETE SPECIFICATION.

## A New or Improved Calculator.

I, ERNEST LEDER, of 47/48 Berlinerstrasse, Rixdorf, near Berlin, in the Empire of Germany, Merchant, do hereby declare the nature of this invention

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and in what manner the same is to be performed, to be particularly described and ascertained in and by the following statement:—

My invention consists of a new or improved calculator or arithmetical machine which is capable of performing arithmetical operations, such as additions, subtractions, multiplications, divisions or other calculations. The operation of this machine is most simple. It comprises a key board for one figure or quantity, a slide key board for another figure or quantity, a plurality of slides movable between the key board and the slide key board and each provided with a pair of rollers having various series of teeth on their peripheries, a carriage movable over the slides and containing a totalizing counter adapted to be operated by the teeth of the rollers, a mechanism controlled from the key board for adjusting the several slides, and a hand-crank with a driving mechanism for actuating the counting wheels in the totalizing counter. For performing an arithmetical operation, for example a multiplication, first the respective keys of the key board are depressed in accordance with the single figures of the multiplicand, whereby the corresponding slides are shifted and adjusted, then the slide key that corresponds to the unit of the multiplier is pushed to the rear to shift and adjust the carriage, next a hand-crank is turned once so as to turn all the rollers in the slides, the one after the other, whereby the totalizing counter in the carriage is operated, so that the result, that is the product, will be shewn in the windows of the carriage. Thereupon the carriage is pulled automatically to the front for returning the said slide key to its initial position, after which either of the slide keys in accordance with the tens of the multiplier is pushed to the rear to shift and adjust the carriage and the hand-crank is turned once more, when the whole product will appear in the windows. If the multiplier has hundreds, thousands and so on, of course the carriage will be pulled repeatedly to the front for returning the shifted slide keys to their initial positions, after which the respective slide keys corresponding to the figures in the hundreds, thousands and so on of the multiplier are one after the other pushed to the rear and the hand-crank is once turned each time, when at last the final product will appear in the windows of the carriage.

I will now proceed to describe my invention with reference to the drawings, accompanying the Provisional Specification, in which—

Fig. 1 is a plan of the complete calculator,

Fig. 2 is a front view of the same,

Fig. 3 is a vertical cross section through the same on the line  $x-x$  in Fig. 1 seen from the front in the direction of the arrows,

Fig. 4 is a part of Fig. 1, the top being turned to the left side and the key board on the left being shown partly in plan and partly in a horizontal section through the line  $z-z$  in Fig. 5, and the slide key board on the right being omitted,

Fig. 5 is a vertical section through the line  $y-y$  in Fig. 4,

Fig. 6 is a rear view on an enlarged scale of part of the calculator, seen in the direction of the arrow in Fig. 5,

Fig. 7 is a side view of the same part seen from left to right in Fig. 6,

Fig. 8 is an elevation on an enlarged scale of the totalising counter or registering-mechanism contained in the carriage and shows in section the several rollers co-operating with the gear wheels in the totalising counter or registering-mechanism,

Fig. 9 is a plan of the totalising counter or registering-mechanism,

Fig. 10 is a front view on an enlarged scale of the hand-crank and the driving mechanism for operating the rollers,

Fig. 11 is a plan of the same,

Fig. 12 is the development of one roller in either pair, and

Fig. 13 is the development of the other roller in the same pair.



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Similar characters of reference refer to similar parts throughout the several views.

The calculator shown comprises a box *a* /see Fig. 5/, on which two side rails *l*, *l* /see Fig. 3/ and several /here seven/ parallel rails *g g* of hexagonal section are fastened. Several /here six/ parallel slides *f f* are mounted to move on the top of the box *a* while they are guided by the rails *g g*. The slides *f f* are shown as each consisting of two end plates *f*<sup>1</sup> and *f*<sup>11</sup> /see Fig. 5/, which are rigidly connected with one another by suitable stays not shown. The box *a* is shown as containing a special compartment 2, to the rear wall of which the several slides *f f* are elastically attached by means of helical springs *l*, *l*, so that they are constantly pulled to the front. The rear end plate *f*<sup>11</sup> of each slide *f* /see Fig. 6/ is provided with two holes for the rear pivots of two rollers *m* and *m*<sup>1</sup>. The latter are hollow and are made to slide on two shafts *t t* which are mounted to turn in the rear wall of the box 2. The rollers *m* and *m*<sup>1</sup> are prevented from turning on the shafts *t t* by means of screws *u* engaging in longitudinal grooves of the latter. In the compartment 2 two parallel drums K and F /Figs. 10 and 11/ are mounted to turn, which are connected with each other by means of an endless band H placed over them and provided with three parallel rows of square holes, in which corresponding teeth G G on the two drums K and F engage. The endless band H is divided by two parallel long slots into three sections, which are connected with one another by two short pieces provided with several square holes O and O<sup>1</sup> respectively, these holes being on two different places of the band halving the length of the latter. The front ends of the above mentioned shafts *t t* are provided with gear wheels T and T<sup>1</sup> which can periodically and one after the other engage in the two series of holes O and O<sup>1</sup> respectively. Guiding rollers 3, 3 are provided for supporting the upper branch of the endless band H and thus assuring the proper meshing of the gear wheels T and T<sup>1</sup> with the endless band H. Fastened on the front end of the shaft of the right drum F is a gear wheel E, which meshes with a larger gear wheel D. The latter is by its shaft rigidly connected with a smaller gear wheel C, that engages a larger gear wheel B fastened on the shaft of a hand-crank A. The ratio of the gear wheels B, C, D and E is so proportioned, that for every complete revolution of the hand-crank A the endless band H will make one complete turn round the two drums K and F, so that after each revolution of the hand-crank A a certain point on the band H will return to its initial position. The rollers *m* and *m*<sup>1</sup> in the several slides *f f* have on their peripheries a plurality of teeth, which are disposed in varying orders in parallel planes, as is illustrated in Figs. 12 and 13, which show the developments of the two rollers. These teeth will be referred to later on.

On the rear end of the box *a* /Fig. 5/ is disposed the key board /see Fig. 1/, which comprises two superposed horizontal plates *b*<sup>1</sup> and *b*<sup>11</sup> and a plurality of keys *d*<sup>1</sup>. The two plates *b*<sup>1</sup> and *b*<sup>11</sup> are supported by four studs *a*<sup>11</sup> on the box *a* and serve for guiding the vertical square shafts *d* of the keys *d*<sup>1</sup>, which are arranged in the vertical planes of the several rollers *m* and *m*<sup>1</sup>. The keys *d*<sup>1</sup> in the vertical plane of each roller *m* carry the even numbers 2, 4, 6 and 8 and those in the vertical plane of each roller *m*<sup>1</sup> the odd numbers 1, 3, 5, 7 and 9. The keys *d*<sup>1</sup> are pressed upwards by helical springs shown in Fig. 7 as usual. The lower ends of their shafts *d* carry cranked arms *e* of varying lengths, which are provided with downwardly projecting hooks *e*<sup>1</sup>, as is clearly shown in Figs. 6 and 7. Between the two plates *b*<sup>1</sup> and *b*<sup>11</sup> the shafts *d* are each provided with an arm *d*<sup>11</sup> which is adapted to depress a rocking plate *h*. The latter is placed parallel to the slide *f* and has at its ends two pivots *h*<sup>1</sup>, which engage in suitable bearings on the lower plate *b*<sup>11</sup>. Each rocking plate *h* is pressed upwards against the arms *d*<sup>11</sup> of the two parallel rows of key shafts *d* by means of two helical springs *h*<sup>11</sup>, so that normally it is placed at an angle of about 45° to the horizontal plate *b*<sup>11</sup>, as is shown on the left in Fig. 6. Each rocking plate has on its rear end a downwardly projecting arm *i* with a hook *i*<sup>1</sup>.

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Each slide  $f$  has on its rear end plate  $f^{11}$  a projection  $f^{111}$  of any suitable shape, on which a horizontal cross rod  $e$  is fastened. In the initial position of the slides the cross rods  $e$  of the slides  $f$  will snap under the hooks  $i^1$  of the arms  $i$  respectively, so that the slides  $f$  will be thereby locked and prevented from shifting on the carriage being moved to the front. When either key  $d^1$  is depressed, see Fig. 6, the arm  $d^{11}$  of its shaft  $d$  will depress the rocking plate  $h$ , so that the arm  $i$  of the latter will be turned upwards and its hook  $i^1$  will release the slide  $f$ , whereupon the helical spring  $l$  will pull the slide  $f$  to the front. Now, however, that the hook  $c^1$  on the arm  $c$  of this key  $d^1$  engages in the path of the cross rod  $e$ , of course this hook  $c^1$  will catch the cross rod  $e$  and prevent the slide  $f$  from moving further /see Fig. 5/. The several arms  $c$  of the keys  $d^1$  are made of different lengths, as already mentioned above, so that their hooks  $c^1$  will severally stop the corresponding slides  $f$  on different points of their paths. The keys  $d^1$  in the extreme pair of rows on the right in Fig. 1 correspond to the units of the multiplicand. The keys  $d^1$  in the next following pair of rows, when counting from right to left, correspond to the tens of the multiplicand, and those in the third pair of rows to the hundreds, those in the fourth pair of rows to the thousands of the multiplicand, and so on. It is evident, that when a key  $d^1$  has been depressed and its hook  $c^1$  has caught the cross rod  $e$  of the slide  $f$ , the key  $d^1$  will be prevented from returning to its upper position on being released by the finger.

On the front over the compartment 2 is disposed the slide key board, which comprises a horizontal plate  $p$  and nine keys  $n$  with the numbers 1, 2, 3, 4, 5, 6, 7, 8 and 9. The plate  $p$  is provided with nine parallel slots  $p^1$  of different lengths and with guides beneath these slots for slides  $r$ , which are rigidly connected with the keys  $n$  and are provided with bent ends  $r^1$  /see Fig. 1/. The bent ends  $r^1$  are adapted to severally bear against the carriage S, so that by means of their slides  $r$  the keys  $n$  are adapted to severally push the carriage S to the rear through a distance corresponding to the length of the respective slot  $p^1$ .

Within the carriage S registering mechanism shown at Figs. 8 and 9 is disposed, which may in any known manner be arranged to be longitudinally shifted through a small distance. The totalising counter or registering-mechanism comprises two vertical parallel plates  $S^1 S^1$  with four stays  $S^{11} S^{11}$ , a series of gear wheels U and above them a series of parallel and horizontal shafts 4, 4 with gear wheels and dials. As already mentioned above, the several rollers  $m$  and  $m^1$  have on their peripheries several rows of teeth in parallel planes, as is shown at Figs. 12 and 13. The number of teeth in the several rows varies. About one fourth of the periphery of each roller  $m$  or  $m^1$  is left without teeth and these large spaces /see Fig. 8/ are normally at the top, so that all the large gear wheels U remain out of engagement with the rollers  $m$  and  $m^1$  below. Only during the rotation of either roller  $m$  or  $m^1$  those of its teeth, which are in the plane of the gear wheel U, can engage in the teeth of the latter for turning it through a certain angle. Owing to the arrangement shown of the holes O and O<sup>1</sup> in the band H the two rollers  $m$  and  $m^1$  in each slide  $f$  are turned one after the other, so that they do not disturb each other in turning the corresponding gear wheel U. Each gear wheel U meshes with a smaller gear wheel V, which has ten teeth and is by its shaft 4 rigidly connected with a dial W without and a disk X within, which latter has a single tooth 5. On the several shafts 4, 4 are disposed like gear wheels V and Z and like disks W. Each dial W carries the numbers 0, 1, 2, 3, 4, 5, 6, 7, 8 and 9, any one of which can appear in a window 6 in the carriage S, see Figs. 2 and 3. The tooth 5 of the extreme disk X on the right in Figs. 8 and 9 can engage in an intermediate gear wheel Y only once for every rotation of the shaft 4, so as to thereby turn the following gear wheel Z one tooth forward. As each gear wheel Z has ten teeth, it follows, that after every rotation of either dial W the following dial W on the left will be turned one number forward, as usual.

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From this arrangement it follows, that after ten revolutions of the first dial W on the right in Fig. 9 the second dial W will be turned one revolution forward, that after one hundred revolutions of the first dial W the second dial W will have made ten complete revolutions, while the third dial W will have been  
 5 turned one revolution forward, and so on. This transmission of motion from the first dial W on the right to the following dials W is well known and does not form part of this invention. I also do not show or describe any device for returning all the disks W into their initial positions, in which they show all their zeroes, as this device forms no part of my invention and may be of any  
 10 known construction.

All the rollers  $m$  and  $m^1$  have the same diameter and length, and the rollers  $m$  in the several pairs are made perfectly alike and different from the other rollers  $m^1$  which in turn are made perfectly alike. With regard to the arrangement of the teeth on the peripheries of the several rollers, each roller  
 15 may be assumed to have 87 division circles in parallel planes at like distances from each other according to the scale on the left in Fig. 12. On some of these division circles are placed teeth of varying numbers, while on other division circles no teeth at all are placed, as is shown. The numbers of the teeth in the several division circles are arranged in a certain order and correspond to  
 20 the numbers from 1 to 9 and to the products obtained by the multiplication of any two of these numbers, the products being expressed by units and tens.

In the 1<sup>st</sup> division circle of the roller  $m$  1 tooth is disposed, see Fig. 12, on the 5<sup>th</sup> division circle are disposed 2 teeth, on the 15<sup>th</sup> division circle 3 teeth, on the 44<sup>th</sup> division circle 7 teeth. In this manner the remaining numbers of  
 25 teeth are disposed.

As an example the places for the teeth for the number 15 may be ascertained. 15 is equal to 3 times 5. According to the above explanation the teeth for the number 3 are disposed on the 15<sup>th</sup> division circle of the roller  $m$  and are therefore at a distance of 14 pitches from the 1<sup>st</sup> division circle, and the teeth  
 30 for the number 5 are disposed on the 18<sup>th</sup> division circle, that is at a distance of 17 pitches from the 1<sup>st</sup> division circle. The teeth for the product of  $3 \times 5 = 15$  are disposed on the division circle at a distance equal to the sum of the said two distances, that is  $14 + 17 = 31$  pitches from the 1<sup>st</sup> division circle, therefore on the 32<sup>nd</sup> division circle. One of the said two distances is to be determined  
 35 by the arm  $e$  of the respective key  $d^1$  and the other distance by the stroke of the respective slide key  $n$ .

After the above explanations the matter may be expressed in general terms as follows: If the teeth for a number  $x$  be on the  $a^{\text{th}}$  division circles of the two rollers  $m$  and  $m^1$ , those for a second number  $y$  be on the  $b^{\text{th}}$  division circles, then  
 40 the teeth for the product  $x y$  will be on the  $\frac{1}{a} - \frac{1}{b} + 1 = \frac{a + b - 1}{ab}$  division circles of the two rollers  $m$  and  $m^1$ . Thus if the teeth for the number 7 are on the 44<sup>th</sup> division circle of the one roller  $m$  as mentioned above and the teeth for the number 3 on the 15<sup>th</sup> division circle of the roller  $m$ , then the above formula will furnish the place of the teeth for the product  $7 \times 3 = 21$  as the  
 45  $44 + 15 - 1 = 58^{\text{th}}$  division circle of the two rollers  $m$  and  $m^1$ , and this is actually the case, as Fig. 12 will prove, 1 tooth being on the roller  $m$  and 2 teeth on the roller  $m^1$ .

The following table calculated from the above formula will show the number of pitches for the distance from the 1<sup>st</sup> division circles of those division circles  
 50 of the two rollers  $m$  and  $m^1$ , on which the teeth for the product from 2 values, each ranging between 1 and 9, will be found. The crossing point of either vertical column for the multiplicand with either horizontal column for the multiplier will show the number of pitches for the distance from the first division circles of those division circles on which the teeth for the product  
 55 will be found.

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	1	2	3	4	5	6	7	8	9	
1	1	5	15	9	18	19	44	13	29	
2	5	9	19	13	22	23	48	17	33	
3	15	19	29	23	32	33	58	27	43	
4	9	13	23	17	26	27	52	21	37	5
5	18	22	32	26	35	35	61	30	46	
6	19	23	33	27	36	37	62	31	47	
7	44	48	58	52	61	62	87	56	72	
8	13	17	27	21	30	31	56	25	41	
9	29	33	43	37	46	47	72	41	57	10

For ascertaining the division circles, on which the teeth for the number 63 are disposed, this number may be regarded as the product of  $7 \times 9$ , therefore the crossing point of either the 7<sup>th</sup> vertical column with the 9<sup>th</sup> horizontal line or the 9<sup>th</sup> vertical column with the 7<sup>th</sup> horizontal line will give 72 as the numeral of the division circles on which the teeth for 63 are disposed, that is to say 3 teeth on the unit roller  $m$  and 6 teeth on the tens roller  $m^1$ , which is actually the case, see Figs. 12 and 13.

From the above formula and table the following distances of the respective division circles from the first division circles are determined:

1 pitch	for the number 1	20
5 pitches	" "	2
15 "	" "	3
9 "	" "	4
18 "	" "	5
19 "	" "	6
44 "	" "	7
13 "	" "	8
29 "	" "	9

In accordance with these distances the lengths of the arms  $c$  of the keys  $d^1$  and those of the slots  $p^1$  for the slide keys  $n$  are proportioned. That is to say the slide  $f$  is to be stopped on such a point of its stroke by depressing the key  $d^1$ , that when the carriage  $S$  occupies the right position, its respective gear wheels  $U$  and  $V$  will be in the same vertical plane as the corresponding division circles on the two rollers  $m$  and  $m^1$ , and further if the carriage  $S$  is pushed to the rear by either slide key  $n$ , it will occupy such a position that its gear wheels  $U$  and  $V$  will be in the same vertical plane as the corresponding division circles on the two rollers  $m$  and  $m^1$ , their distance from the first division circles being equal to the sum of the two distances to be found in the above table.

When the scale for the teeth in Figs. 12 and 13 is examined with a pair of compasses, it will be found, that the sum of the distances for any two numbers from the first division line will give the distance for the product. For example take the vertical distance between the horizontal division lines for 1 and 4 with the compasses and put one point of same in 2, then the other point will fit in the division point for  $8/4 \times 2 = 8/$ , or put one point of the compasses in 9,

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when the other point will fit in the division point for  $36/4 \times 9 = 36/$  and so on.

From the above it will be seen, that each slide  $f$  can be brought into nine different positions by depressing the corresponding keys  $d^1$  which carry the numbers 1, 2, 3, 4, 5, 6, 7, 8 and 9. When depressing the key with the number 1 in the first pair of rows on the right in Fig. 1, also the key with the number 2 in the second pair of rows /when counting from right to left/, the key with the number 3 in the third pair of rows, the key with the number 4 in the fourth pair of rows, and the key with the number 5 in the fifth pair of rows, of course the first five slides  $f$  will be pulled to the front through varying distances according to the scale shown in Fig. 12. After the above explanations it will be obvious, that when the carriage S is pushed to the rear by means of the slide key  $n$  carrying the number 1, there will be in the vertical plane of its gear wheels U and V 1 tooth on the roller  $m$  in the first slide  $f$ , 2 teeth on the roller  $m$  in the second slide  $f$ , 3 teeth on the roller  $m$  in the third slide  $f$ , 4 teeth on the roller  $m$  in the fourth slide  $f$ , and 5 teeth on the roller  $m$  in the fifth slide  $f$ . If further the carriage S is pulled to the front for returning the slide key  $n$  with the number 1 to its initial position and afterwards it is pushed to the rear by means of the slide key  $n$  carrying the number 2, of course there will be in the vertical plane of its gear wheels U and V 2 teeth on the roller  $m$  in the first slide  $f$  corresponding to the product of  $1 \times 2 = 2$  4 teeth on the roller  $m$  in the second slide  $f$  corresponding to the product of  $2 \times 2 = 4$ , 6 teeth on the roller  $m$  in the third slide  $f$  corresponding to the product of  $3 \times 2 = 6$ , 8 teeth on the roller  $m$  in the fourth slide  $f$  corresponding to the product of  $4 \times 2 = 8$ , and the teeth for the product of  $5 \times 2 = 10$  that is to say 1 tooth on the roller  $m^1$  in the fifth slide  $f$ . It will be now clear, that after the hand-crank A has been once turned, thereby the several rollers  $m$  and  $m^1$  carrying teeth in the plane of the gear wheels U and V will have turned the gear wheels V as many teeth forward as there are teeth on them, so that the first dial W will show the number 2 in its window, the second dial W the number 4, the third dial W the number 6, the fourth dial W the number 8, the fifth dial W the number 0 and the sixth dial W the number 1. Then the whole number shown in the several windows will be 108642, which is the product of  $54321 \times 2$ .

For multiplying say 4321 by a multiplier larger than a unit, say, 72, it is to be remembered, that according to the well-known formula  $(a + b) c = a c + b c$  the product of  $4321 \times 72$  will be equal to  $4321 \times 70 = 302470$ .

$$4321 \times 2 = 8642$$

311112

From this it will be seen, that these two sums require to be added up for obtaining the total product. For this reason after the first multiplication the registering mechanism requires to be shifted to the right through a distance equal to the interval between the axes of any two neighbouring gear wheels U, so as to prevent the teeth of the rollers  $m$  and  $m^1$  in any particular pair from engaging with the same wheels as in the last revolution of the crank and to make them gear with the corresponding wheels in the next group to the right. Hence the registering mechanism, that is the totalising counter, is, by some suitable device, shifted to the right between each revolution of the crank. Whilst for the purposes of multiplication this shifting between each revolution is made to the right, for the purposes of division it would be made to the left. I do not describe any device for shifting the totalising counter to the right or to the left as it forms no part of my invention and may be of any well-known type of mechanism used for this purpose in connection with other calculating machines.

The calculator is operated as follows:—

If for example 365 is to be multiplied by 175, then depress in the direction

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from right to left in Fig 1 the keys  $d$  carrying the numbers 5 in the first pair of rows for units, 6 in the second pair of rows for tens and 3 in the third pair of rows for hundreds, when the first three slides  $f$  will be pulled to the front and stopped at varying points of their paths, afterwards push the slide key  $n$  carrying the number 5 to the rear and thereby also the carriage S: there- 5  
upon turn the hand-crank A once, so that all the rollers  $m$  and  $m^1$  will make one complete rotation one after the other, but only the teeth on the first three pairs of rollers  $m$  and  $m^1$  which are in the vertical plane of the gear wheels U and V will engage the same for turning their dials W, W through certain angles. At this moment in the first four windows G, G of the carriage S the 10  
number 1825 will appear as the product of  $365 \times 5$ . Then the carriage S is automatically pulled to the front for returning the slide key  $n$  with the number 5 to its initial position and afterwards it is again pushed to the rear by means of the slide key  $n$  carrying the number 7, next the hand-crank A is 15  
once turned, when, first the totalising counter or registering mechanism will be automatically shifted in the longitudinal direction by one figure to the right as explained above, so that in the several windows there will appear the number 27375 as the sum of the two products  $365 \times 70 + 1825 = 25550 + 1825$ . Thereupon the carriage S is pulled to the front for returning the slide key  $n$  20  
with the number 7, and next it is again pushed to the rear by means of the slide key  $n$  carrying the number 1, and at last the hand crank A is once turned, when in the windows of the carriage S there will appear the number 63875 as the sum of the products  $365 \times 100 + 27375 = 36500 + 27375$ .

The calculator may be varied in many respects without departing from the spirit of my invention. 25

Having now particularly described and ascertained the nature of my said invention and in what manner the same is to be performed, I declare that what I claim is:—

1. A calculating machine comprising a totalising counter, the counting wheels of which are actuated by a series of pairs of rollers representing units, tens, 30  
hundreds and so on, each pair being furnished with teeth, arranged in such a manner that the numbers 1, 2, 3, 4, 5, 6, 7, 8 and 9 and every product that can be obtained by multiplying two of such numbers together appear once and once only on the peripheries of the rollers.

2. A calculating machine of the type claimed in Claim 1, comprising a frame, 35  
a key board, a slide key board, slides movable in the said frame between the said key board and the said slide key board and each provided with a pair of rollers having various series of teeth on their peripheries, a carriage movable in the said frame over the said slides and containing a totalising counter or registering mechanism adapted to be operated by the teeth of the said rollers, a 40  
mechanism controlled from the said key board for shifting and adjusting the several slides, a mechanism controlled from the said slide key board for shifting and adjusting the said carriage and a hand-crank with a driving mechanism for turning all the rollers once, one after the other, for every arithmetical operation and thereby actuating the dials in the totalising counter or register- 45  
ing mechanism.

3. In a calculating machine of the type claimed in Claim 1, the particular construction of the rollers carried by the slides enabling the rollers to be moved with the slides, wherein each roller whilst fixed in the slide slides over its actuating spindle so that it can be actuated by means of the actuating band at 50  
whatever position the roller is stopped substantially as set forth.

4. In a calculating machine of the type claimed in Claim 1, a slide key board provided with slides for determining the position of the totalising counter or registering mechanism substantially as set forth.

5. In a calculating machine of the type claimed in Claim 1, the method of 55

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operating one after the other the rollers which actuate the totalising counter or registering mechanism substantially as herein described and shewn on the accompanying drawings at Figs 10 and 11.

5 6. In a calculating machine of the type claimed in Claim 1, the means for pulling each slide carrying its pair of units and tens rollers towards the slide key board in combination with means in connection with the key board for releasing the slides and stopping the same at various points in their strokes for the purpose set forth.

10 7. In a calculating machine of the type described, the particular way of marking the rollers herein described and shewn on the accompanying drawings at Figs 12 and 13.

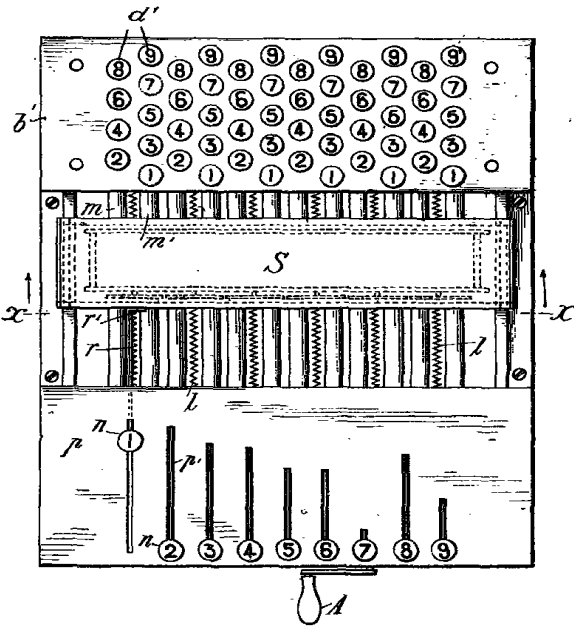
8. A calculating machine constructed and operating substantially as set forth.

Dated this 9th day of August 1907.

15

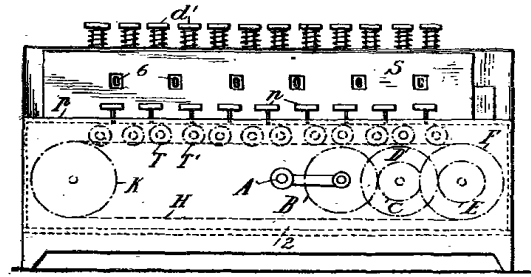
BROWNIE & Co.,  
Agents for the Applicant.  
9, Warwick Court, Gray's Inn, W.C.

*Fig. 1.*

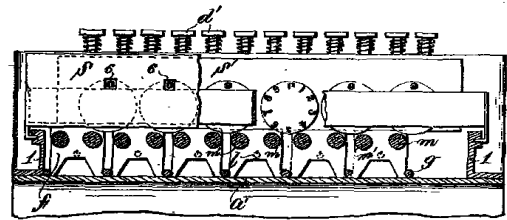


[This Drawing is a reproduction of the Original on a reduced scale.]

*Fig. 2.*

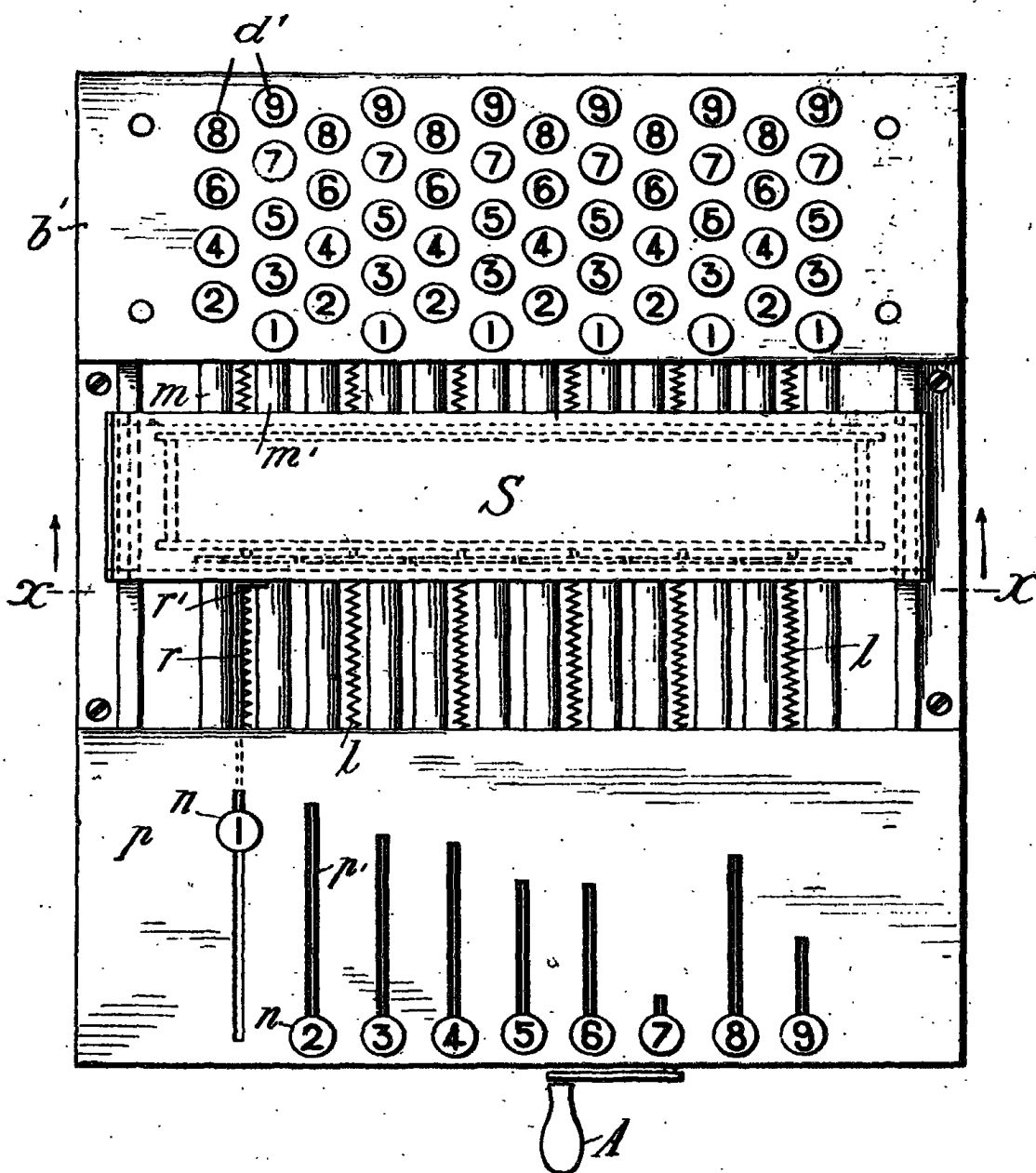


*Fig. 3.*





*Fig. 1.*



[This Drawing is a reproduction of the Original on a reduced scale.]

Fig. 2.

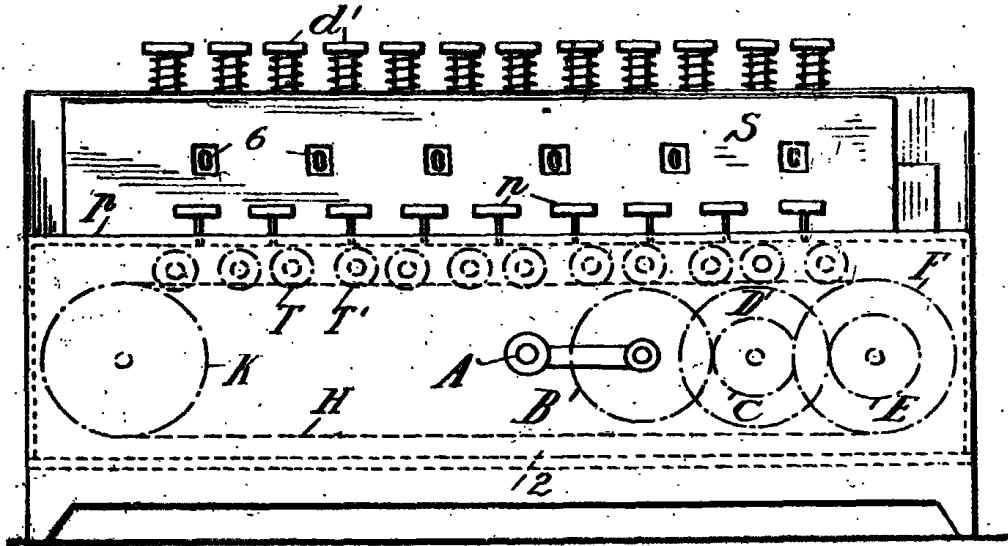
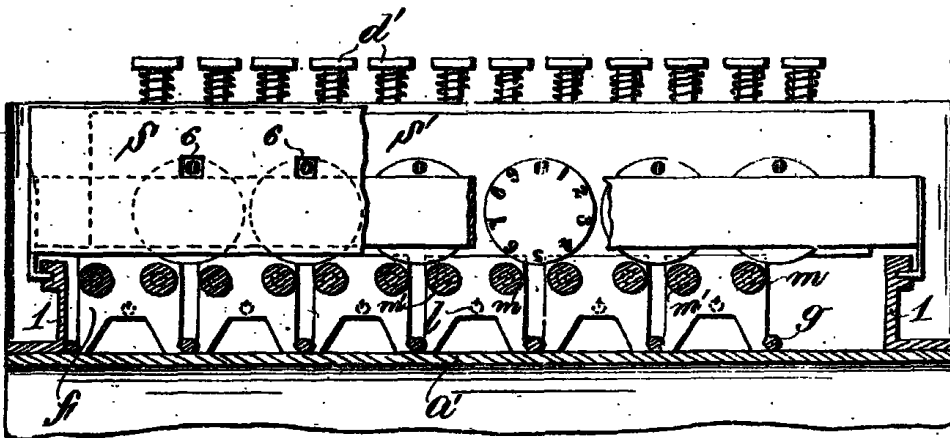
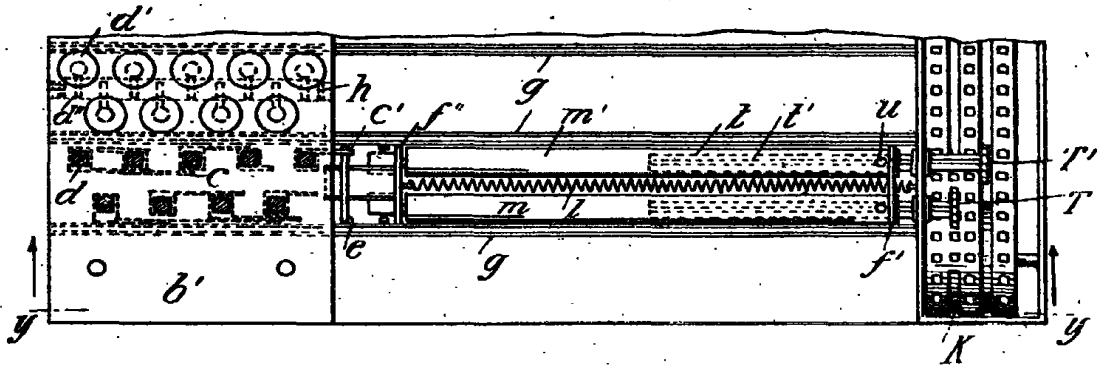


Fig. 3.

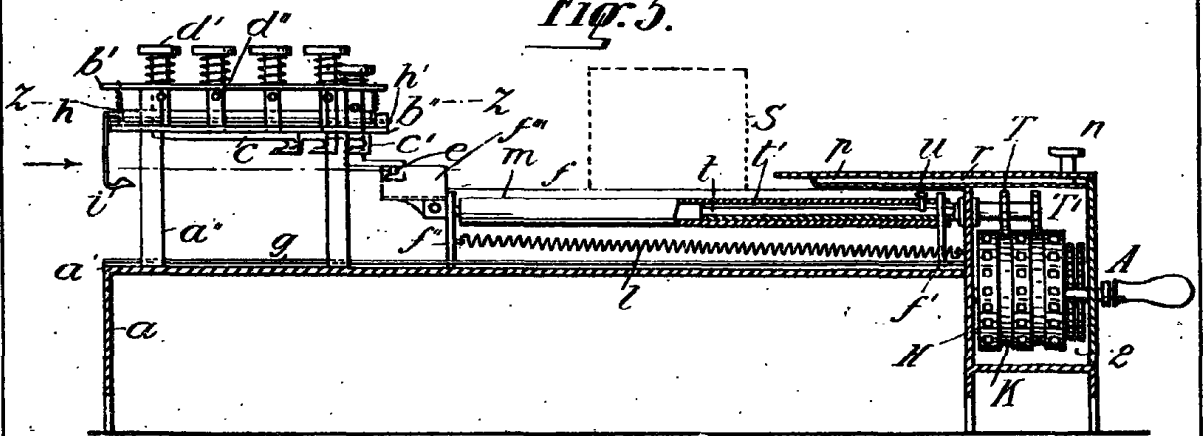


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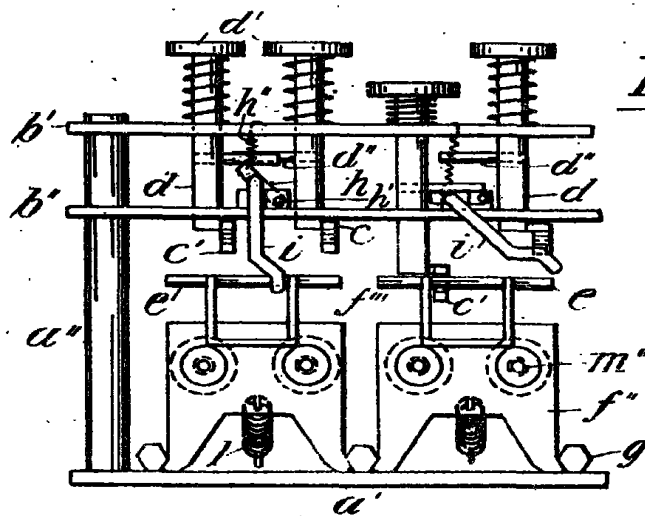
*Fig. 4.*



*Fig. 5.*



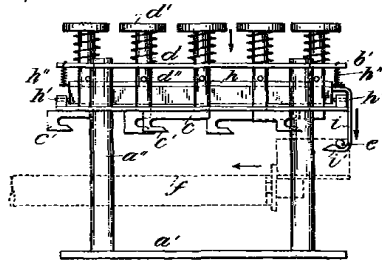
*Fig. 6.*



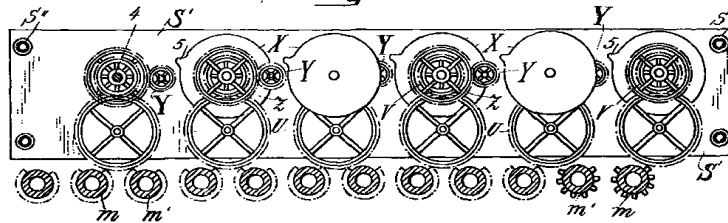
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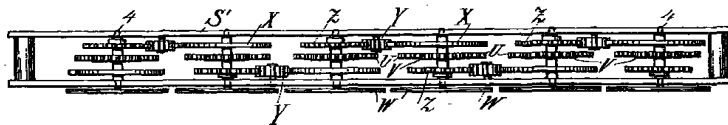
*Fig. 7.*



*Fig. 8.*



*Fig. 9.*

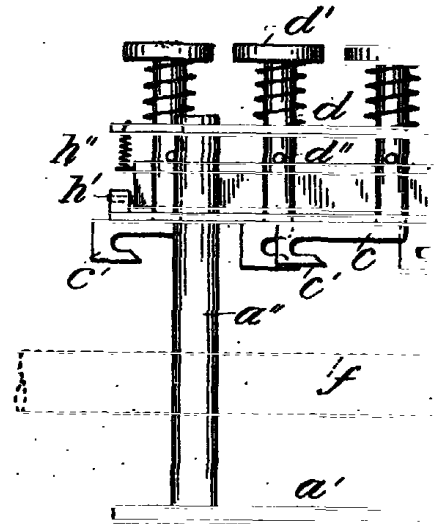


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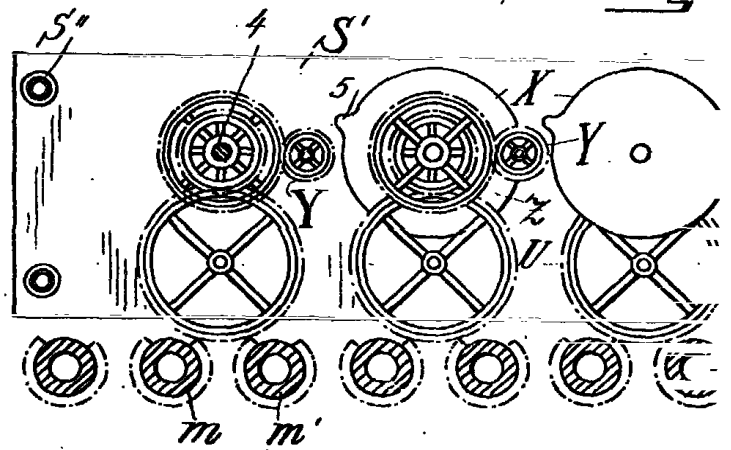
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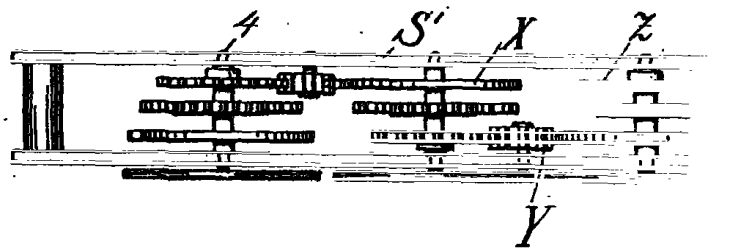
*Fig.*



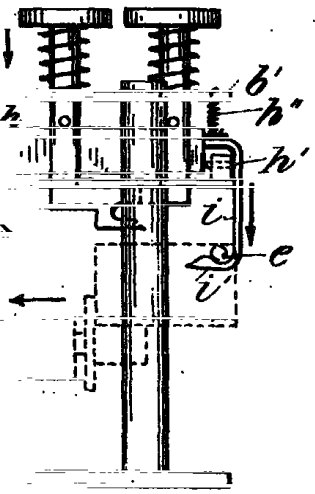
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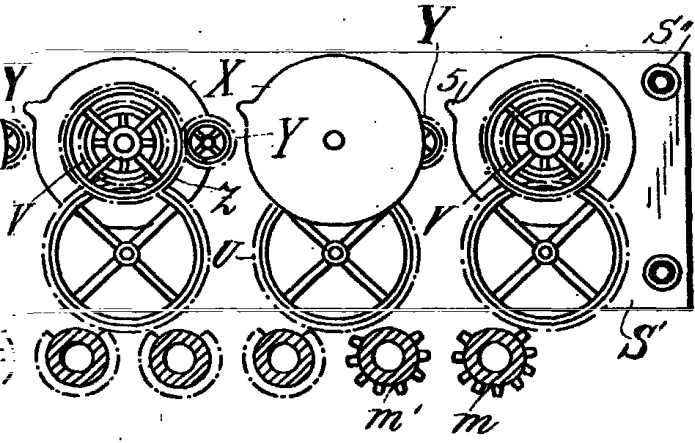
*Fig.*



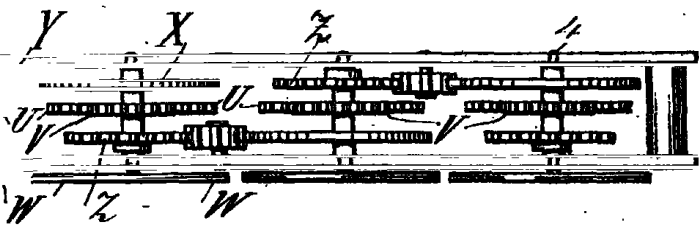
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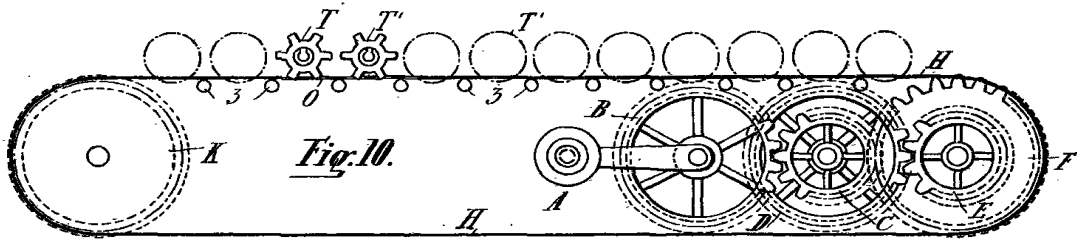
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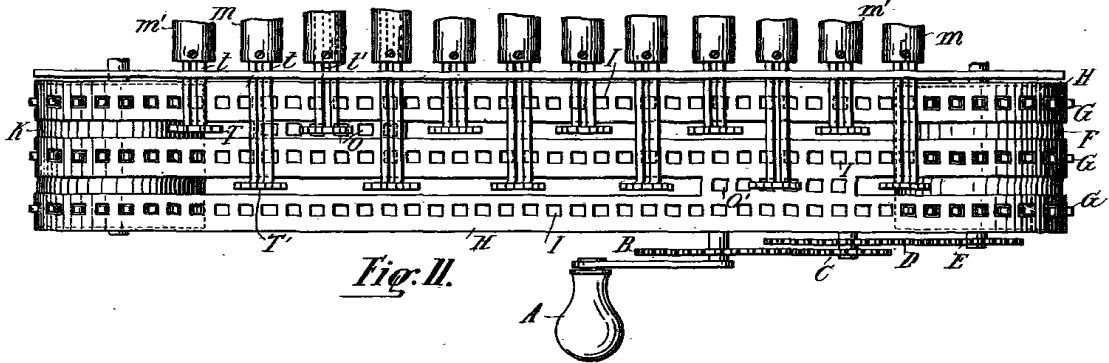
9.



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*Fig. 10.*



*Fig. 11.*

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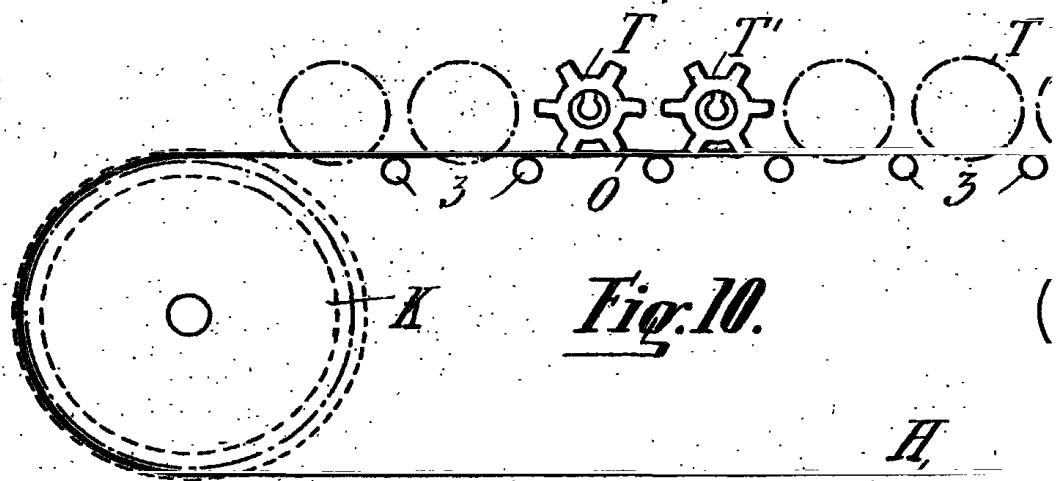


Fig. 10.

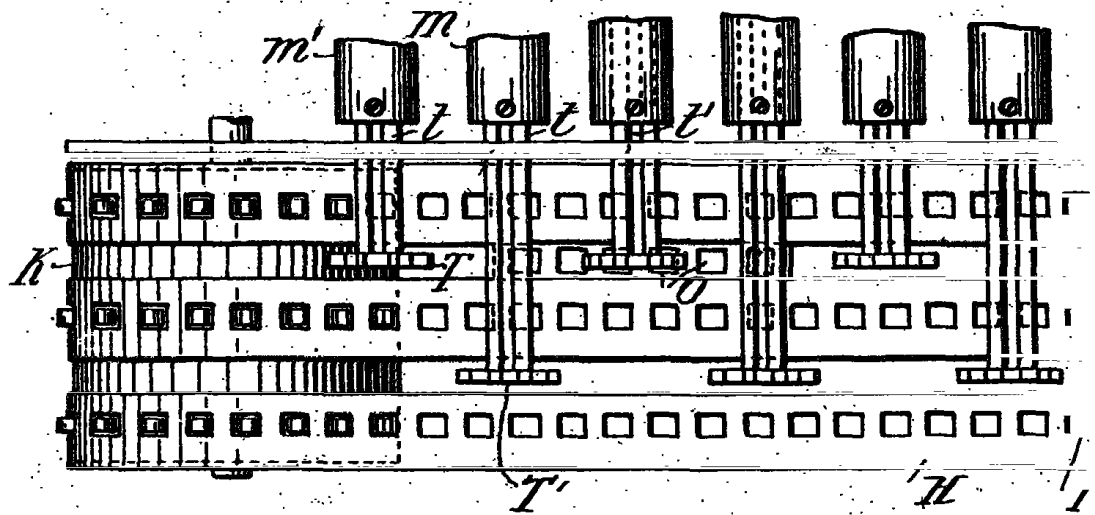
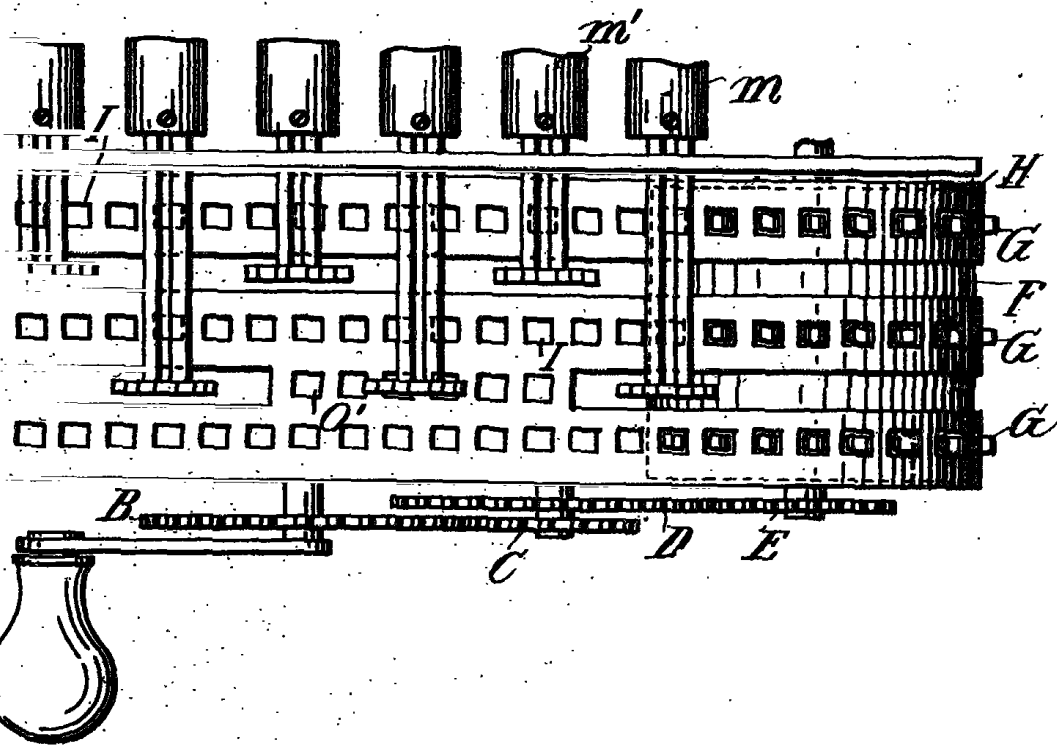
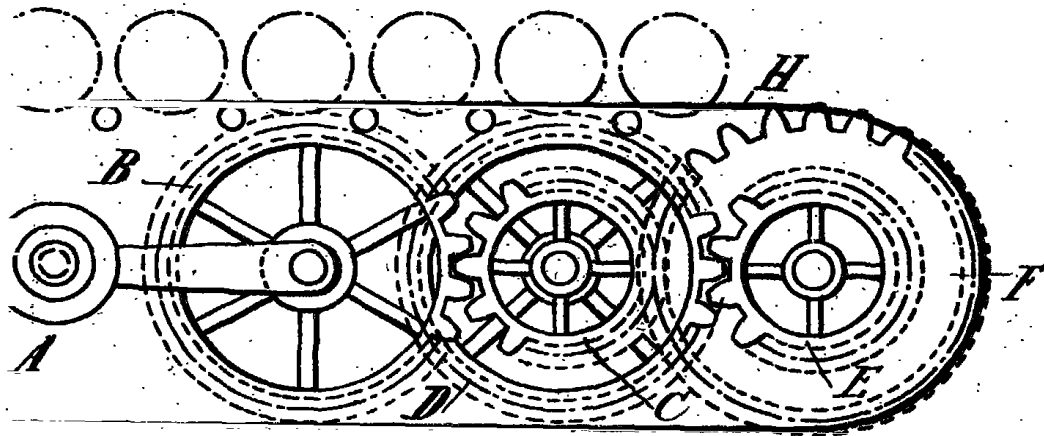


Fig. 11.

A

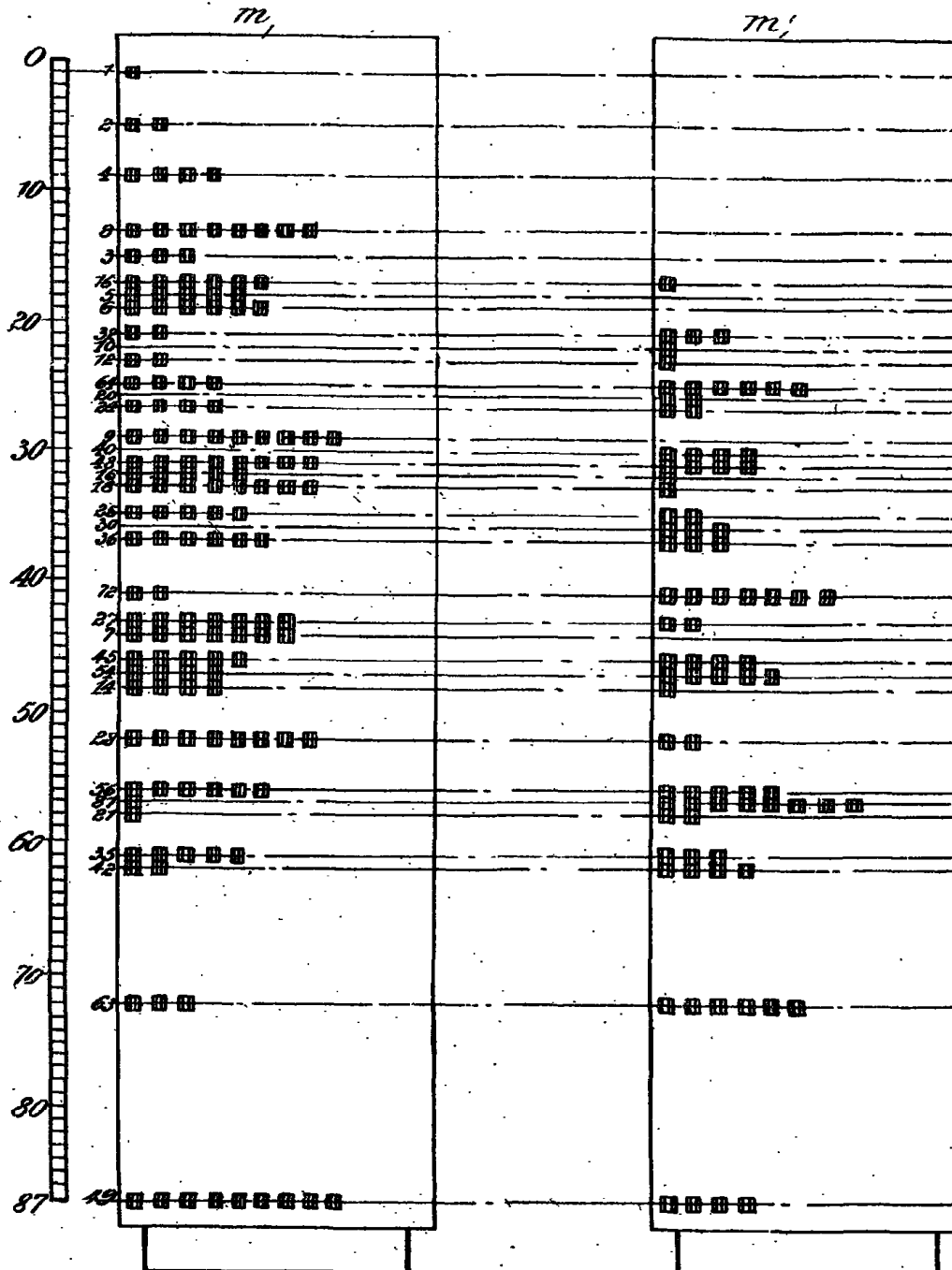




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*Fig. 12.*

*Fig. 13.*



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